

# Controlled encapsulation of single-cells into monodisperse picolitre drops†‡

Jon F. Edd,<sup>§a</sup> Dino Di Carlo,<sup>§a</sup> Katherine J. Humphry,<sup>b</sup> Sarah Köster,<sup>b</sup> Daniel Irimia,<sup>a</sup> David A. Weitz<sup>b</sup> and Mehmet Toner<sup>\*a</sup>

Received 2nd April 2008, Accepted 3rd June 2008

First published as an Advance Article on the web 13th June 2008

DOI: 10.1039/b805456h

Encapsulation of cells within picolitre-size monodisperse drops provides new means to perform quantitative biological studies on a single-cell basis for large cell populations. Variability in the number of cells per drop due to stochastic cell loading is a major barrier to these techniques. We overcome this limitation by evenly spacing cells as they travel within a high aspect-ratio microchannel; cells enter the drop generator with the frequency of drop formation.

While drop-based microfluidics<sup>1,2</sup> promises breakthrough applications in biotechnology such as directed evolution,<sup>3</sup> tissue printing<sup>4</sup> and bead-based PCR in emulsions,<sup>5</sup> it also facilitates many quantitative studies of biology at the most fundamental level, that of single-cells. Because each cell can be made to reside within its own picolitre-volume drop, chemically isolated from all other drops, cell-secreted molecules rapidly achieve detectable concentrations in the confined fluid surrounding the encapsulated cell. Similarly, uptake of trace chemicals specific to individual cells can be probed due to their depletion within the confined extracellular fluid. Moreover, highly monodisperse drops of water in an inert and immiscible carrier fluid can be formed at rates of several kHz using microfluidic techniques,<sup>6</sup> and these drops can be pair-wise combined,<sup>7</sup> split in two,<sup>8</sup> and selected based on the contents of individual drops.<sup>9,10</sup>

Despite their great potential, studies of single-cells in drops suffer from an intrinsic limitation; because the process of loading cells into drops is purely random, the distribution is dictated by Poisson statistics. Thus, the probability of a drop containing  $k$  cells is  $\lambda^k \exp(-\lambda)/(k!)$ , where  $\lambda$  is the average number of cells per drop, so the ratio of drops containing one cell to those containing two is  $2/\lambda$ . This means that to minimize the number of drops that contain more than a single-cell requires very low average loading densities, meaning that most drops actually contain no cells whatsoever. This constraint significantly reduces the number of usable drops; for example, only 15.6% of all drops will contain one cell if no more than one in ten of the occupied drops can be allowed to hold two or more cells.

Recent work describes a method to passively sort drops containing single-cells from smaller empty drops after each cell triggers its own encapsulation upon entering a narrow aqueous jet formed in a flow-focusing device.<sup>11</sup> This clever mechanism can also be used to sort cells based on their size since, for this system, drops are always slightly larger than the cell they contain; however, to overcome the inherent limitations of stochastic encapsulation of cells within controlled-size (monodisperse) drops, one (and only one) cell should be present whenever a drop is generated. This can be achieved manually for each drop,<sup>12</sup> or passively, and with a much higher throughput, by organizing cells in the direction of flow so that they enter the microfluidic nozzle with the same frequency at which drops form.

Here we report a method that causes cells to self-organize into two evenly-spaced streams whose longitudinal order is shifted by half the particle–particle spacing. This occurs when a high density suspension of cells or particles is forced to travel rapidly through a high aspect-ratio microchannel, where particle diameter is a large fraction of the channel's narrow dimension (Fig. 1a). This phenomenon provides a purely passive method to controllably load single-cells into drops, overcoming the intrinsic limitations set by Poisson statistics and ensuring that virtually every drop contains exactly one cell (Fig. 1b and compare stochastic encapsulation, Fig. 1c, with ordered encapsulation, Fig. 1d, where 46 out of 47 drops contain a single bead).

To demonstrate controlled single-cell microdrop generation, we used a flow-focusing geometry<sup>6</sup> to emulsify concentrated suspensions of HL60 cells or 9.9  $\mu\text{m}$ -diameter polystyrene beads immediately after they had traversed a 27  $\mu\text{m}$ -wide  $\times$  52  $\mu\text{m}$ -tall  $\times$  6 cm-long rectangular microchannel (see ESI).<sup>‡</sup> Favorable conditions generated two main classes of organized behavior in the focusing channel preceding the drop generator (Fig. 1a, top view): either (1) particles were focused into the same streamline along one side of the channel, or (2) particles were arranged into an array that alternated from one side of the channel to the other (Fig. 1e for beads and Fig. 1f for cells). Recent advances in inertial sorting of particles in microfluidic devices describe four independent streams of particles in square channels.<sup>13</sup> For the high aspect-ratio microchannel here, we have superimposed a tightly controlled additional degree of particle ordering that generates two particle trains with precisely staggered longitudinal spacing; this is critical for controlled loading of cells or beads into drops.

In Fig. 2a (beads) and Fig. 2b (cells), we report the resulting fractions of drops that contain a single-particle (singles) and of drops that contain multiple-particles (multiples) for concentrations between zero and one particles per drop. Nearly

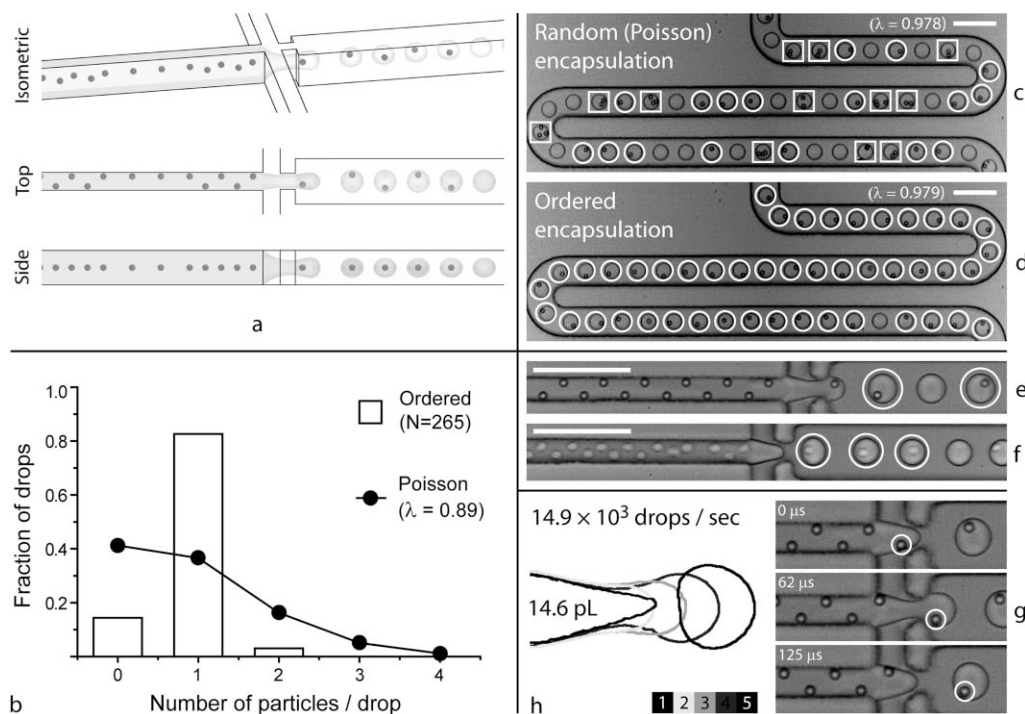
<sup>a</sup>Massachusetts General Hospital, BioMEMS Resource Center, Charlestown, MA, USA. E-mail: mtoner@hms.harvard.edu

<sup>b</sup>Department of Physics and School of Engineering and Applied Sciences, Harvard University, Cambridge, MA, USA

† The HTML version of this article has been enhanced with colour images.

‡ Electronic supplementary information (ESI) available: Supplementary materials, methods and discussion. Supplementary videos 1 and 2. See DOI: 10.1039/b805456h

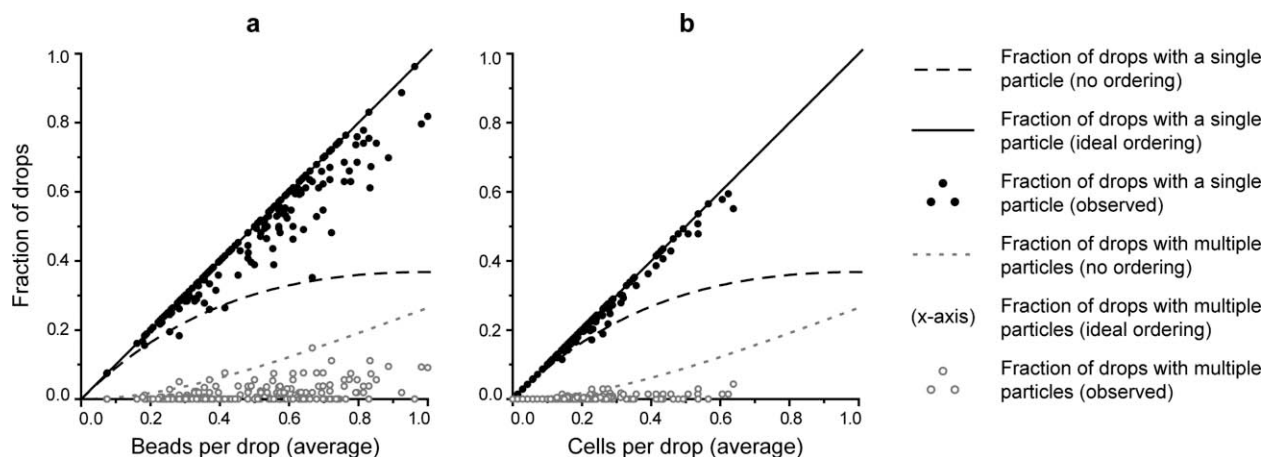
§ These authors contributed equally to this work.



**Fig. 1** Ordered encapsulation. As depicted schematically in (a), hydrodynamic interactions cause particles to self-organize along one side of the microchannel or into a diagonal/alternating pattern. The uniform spacing in the direction of flow (see side view) leads to the formation of single-particle drops when the two lateral flows of oil pull drops from the aqueous stream (see isometric view) with the same (or higher) frequency that particles reach the microdrop generator (g). As the results for 0.89 beads per drop on average in (b) indicate, ordered encapsulation of beads (d–e) generates more single-particle drops (circles) and fewer empty (not marked) or multiple-particle drops (boxes) than would have been possible from (c) stochastic (Poisson) loading. With little or no loss in membrane integrity, cells also self-organize (f), where drops formed as in (h). Scale bars: 100  $\mu\text{m}$ .

perfect single-particle loading (maximum fraction of singles is  $\lambda$ ) is achieved in all cases and the results are far superior to those expected from Poisson statistics, especially for high concentrations. By fitting the dependences of singles and multiples to linear functions of  $\lambda$ , we determine the ratio of singles to

multiples to be 30.9 for beads and 56.5 for cells. From high-speed video recording, it is evident that most multiples resulted from particle aggregates that presumably formed when the initial batches of suspension were concentrated. Therefore, the rate of multiples should be proportional to  $\lambda$ , consistent with Fig. 2.



**Fig. 2** Fraction of drops that contain a single-particle (singles) and of drops that contain more than one particle (multiples) vs. average number of particles per drop ( $\lambda$ ) for (a) beads and (b) cells. Data points (experiment) are plotted alongside curves expected for perfect (ordered) and random (Poisson) encapsulation. Fractions of singles fit a linear trend *versus* concentration, where they occurred with a frequency of  $0.937\lambda$  for beads and  $0.966\lambda$  for cells ( $1\lambda$  is ideal). Multiples should not occur for perfect ordering but resulted sporadically from pre-existing particle aggregates ( $0.0303\lambda$  and  $0.0171\lambda$  for beads and cells, respectively). Each presented data point represents an analysis of 50–250 drops in one of many wide-field frames of video, chosen at regular intervals from high-speed videos up to 5 1/2 min long, totaling  $8.42 \times 10^3$  beads in  $18.9 \times 10^3$  drops and  $4.46 \times 10^3$  cells in  $21.6 \times 10^3$  drops.

Moreover, perfect ordering appears limited only by these pre-existing particle aggregates.

To confirm that the high aqueous flow rate required to induce self-ordering (aqueous flow rate was  $10\ \mu\text{L min}^{-1}$  for beads and  $13\ \mu\text{L min}^{-1}$  for cells) did not adversely affect the cells, we tested their survival rates after encapsulation and found that 92.9% of cells retained membrane integrity, as compared with 96.2% for controls (see ESI Fig. 1).<sup>‡</sup>

The two above-mentioned patterns of self-organized behavior shared three distinctive characteristics: (1) each particle was separated from its nearest neighbor by a uniform spacing in the direction of flow, (2) particles were always found near the side walls of the channel, and (3) particles moved only in the direction of flow as a group. For our experimental conditions, the center-to-center spacing between adjacent particles focused on the same side of the channel was  $48.2 \pm 4.0\ \mu\text{m}$  for beads and  $33.5 \pm 3.7\ \mu\text{m}$  for cells, corresponding to velocities of  $13.7 \pm 0.1\ \text{cm s}^{-1}$  and  $20.6 \pm 0.7\ \text{cm s}^{-1}$ , respectively. In comparison, the longitudinal spacing between particles that self-organized into the alternating pattern was reduced to  $24.4 \pm 1.0\ \mu\text{m}$  for beads and  $19.0 \pm 2.0\ \mu\text{m}$  for cells, corresponding to velocities of  $13.70 \pm 0.04\ \text{cm s}^{-1}$  and  $21.1 \pm 0.3\ \text{cm s}^{-1}$ , respectively. The repulsive wall effect and the inertial lift towards the wall combine to restrict particles to certain streamlines in rectangular channels, but a complete explanation is still lacking as to why the high aspect-ratio geometry has caused the four streams of particles observed for square channels to become two, whose longitudinal order becomes synchronized.

To ensure single-particle drops, we adjusted the flow of oil to generate drops with a frequency not less than the frequency with which cells in the more closely-spaced alternating pattern of order arrived at the microdrop generator. More precisely, we set the flow of oil to  $50\text{--}60\ \mu\text{L min}^{-1}$  during bead experiments and  $85\ \mu\text{L min}^{-1}$  during cell experiments, causing  $21.7\ \text{pL}$  drops to form at  $7.7\ \text{kHz}$  for beads (see ESI video 1<sup>‡</sup> and Fig. 1g) and  $14.6\ \text{pL}$  drops to form at  $14.9\ \text{kHz}$  for cells (see ESI video 2<sup>‡</sup> and Fig. 1h).

The self-organizing phenomenon reported here will aid cell-in-drop applications whenever control of cell-occupancy is important. Quantitative studies of the secretion<sup>14</sup> or uptake of trace amounts of bio-molecules by single-cells can now be conducted much more conveniently. For example, to ensure that less than 2% of the occupied drops are multiples, so that any misleading cross-talk between cells in the same drop is infrequent, Poisson statistics requires that cell suspension be diluted to  $\lambda = 0.040$ , so that only 3.84% of all drops contain a single-cell. Based on the data we report, the method presented here can provide over 20 times higher rates of single-cell drops for the same ratio of singles to multiples.

Applications that demand minimal numbers of empty drops in addition to a high ratio of single-cell drops to multiples would also benefit. For example, the creation of tissue engineered constructs by “printing” cells onto a substrate as a spray of

picolitre-size aqueous drops in air<sup>4</sup> will receive a significant boost in resolution from this ability to control cell loading,<sup>15</sup> allowing the narrowest possible lines to become the width of a single-cell. Such ordered encapsulation becomes even more important for applications where streams of drops, each with single-particles of two varieties, are combined to create larger drops carrying exactly one particle of each kind; the number of suitable drops for the above conditions would rise from 0.15% without ordering to about 80%, about 500 times higher.

Drop-based microfluidics is becoming a powerful technology with exciting applications in the fields of biology, biotechnology,<sup>3–5</sup> computation<sup>16</sup> and chemical analysis.<sup>17</sup> The ability to apply these tools for high-throughput single-cell biology, cell analysis, and tissue engineering is extremely promising but has yet to be realized. The passively-controlled cell and particle encapsulation that we report here is a critical missing component to attain these goals.

## Acknowledgements

This work was supported by the NIBIB (P41 EB002503), the HFSP (RGP0004/2005-C102), the NSF (DMR-0602684 and DBI-0649865) and by the Harvard MRSEC (DMR-0213805). JFE was supported by an NIH Postdoctoral Fellowship (1F32EB007901), DDC was supported by an American Cancer Society Postdoctoral Fellowship (PF-07-237-01-CCE), and SK was supported by the Deutsche Forschungsgemeinschaft (DFG, KO 3572/1).

## References

- 1 G. M. Whitesides, *Nature*, 2006, **442**, 368–373.
- 2 S.-Y. Teh, R. Lin, L.-H. Hung and A. P. Lee, *Lab Chip*, 2008, **8**, 198–220.
- 3 B. T. Kelly, J.-C. Baret, V. Taly and A. D. Griffiths, *Chem. Commun.*, 2007, 1773–1788.
- 4 M. Nakamura *et al.*, *Tissue Eng.*, 2005, **11**, 1658–1666.
- 5 M. Margulies *et al.*, *Nature*, 2005, **437**, 376–380.
- 6 S. L. Anna, N. Bontoux and H. A. Stone, *Appl. Phys. Lett.*, 2003, **82**, 364–366.
- 7 K. Ahn, J. J. Agresti, H. Chong, M. Marquez and D. A. Weitz, *Appl. Phys. Lett.*, 2006, **88**, 264105.
- 8 D. R. Link, S. L. Anna, D. A. Weitz and H. A. Stone, *Phys. Rev. Lett.*, 2004, **92**, 054503.
- 9 D. R. Link, E. Grasland-Mongrain, A. Duri, F. Sarrazin, Z. D. Cheng, G. Cristobal, M. Marquez and D. A. Weitz, *Angew. Chem., Int. Ed.*, 2006, **45**, 2556–2560.
- 10 K. Ahn, C. Kerbage, T. P. Hunt, R. M. Westervelt, D. R. Link and D. A. Weitz, *Appl. Phys. Lett.*, 2006, **88**, 024104.
- 11 M. Chabert and J.-L. Viovy, *Proc. Natl. Acad. Sci. U. S. A.*, 2008, **105**, 3191–3196.
- 12 M. He, J. S. Edgar, G. D. M. Jeffries, R. M. Lorenz, J. P. Shelby and D. T. Chiu, *Anal. Chem.*, 2005, **77**, 1539–1544.
- 13 D. Di Carlo, D. Irimia, R. G. Tompkins and M. Toner, *Proc. Natl. Acad. Sci. U. S. A.*, 2007, **104**, 18892–18897.
- 14 S. Köster *et al.*, *Lab Chip*, 2008, DOI: 10.1039/b802941e.
- 15 P. Calvert, *Science*, 2007, **318**, 208–209.
- 16 M. Prakash and N. Gershenfeld, *Science*, 2007, **315**, 832–835.
- 17 H. Song, D. L. Chen and R. F. Ismagilov, *Angew. Chem., Int. Ed.*, 2006, **45**, 7336–7356.